



STIC AmSud Project

Graph cut based segmentation of cardiac ventricles in MRI: a shape-prior based approach

Caroline Petitjean

A joint work with Damien Grosgeorge , Pr Su Ruan, Pr JN Dacher, MD

October 22, 2014



First of all...

- A little presentation 😊
- Electronics and Signal processing engineer (1999)
- PhD thesis (2003) from GET/INT (Paris):

Non rigid registration using statistical variational approaches.

Application to the analysis and the modelling of the myocardial function in MRI

First of all...

- Assistant Professor (since 2005) at the University of Rouen (**LITIS Lab**)
 - Image analysis and pattern recognition

Mostly for:

medical image segmentation (model-based, PDE-based...)

medical image classification

But also:

image retrieval

Close collaboration with medical doctors (nuclear medicine doctors, radiologists...)

Close collaboration with Laurent (the one here in this room) and other colleagues



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Graph cut based segmentation of cardiac ventricles in MRI: a shape-prior based approach

Caroline Petitjean

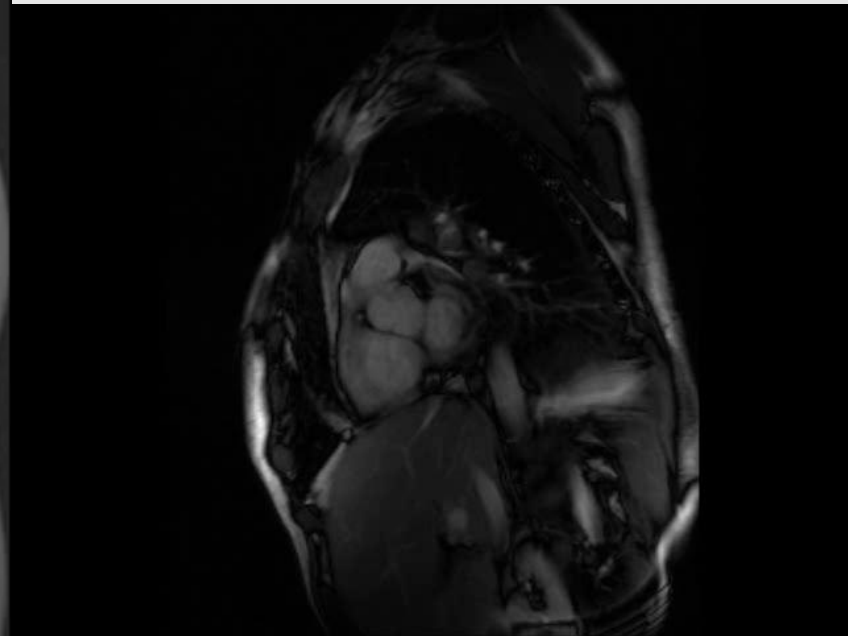
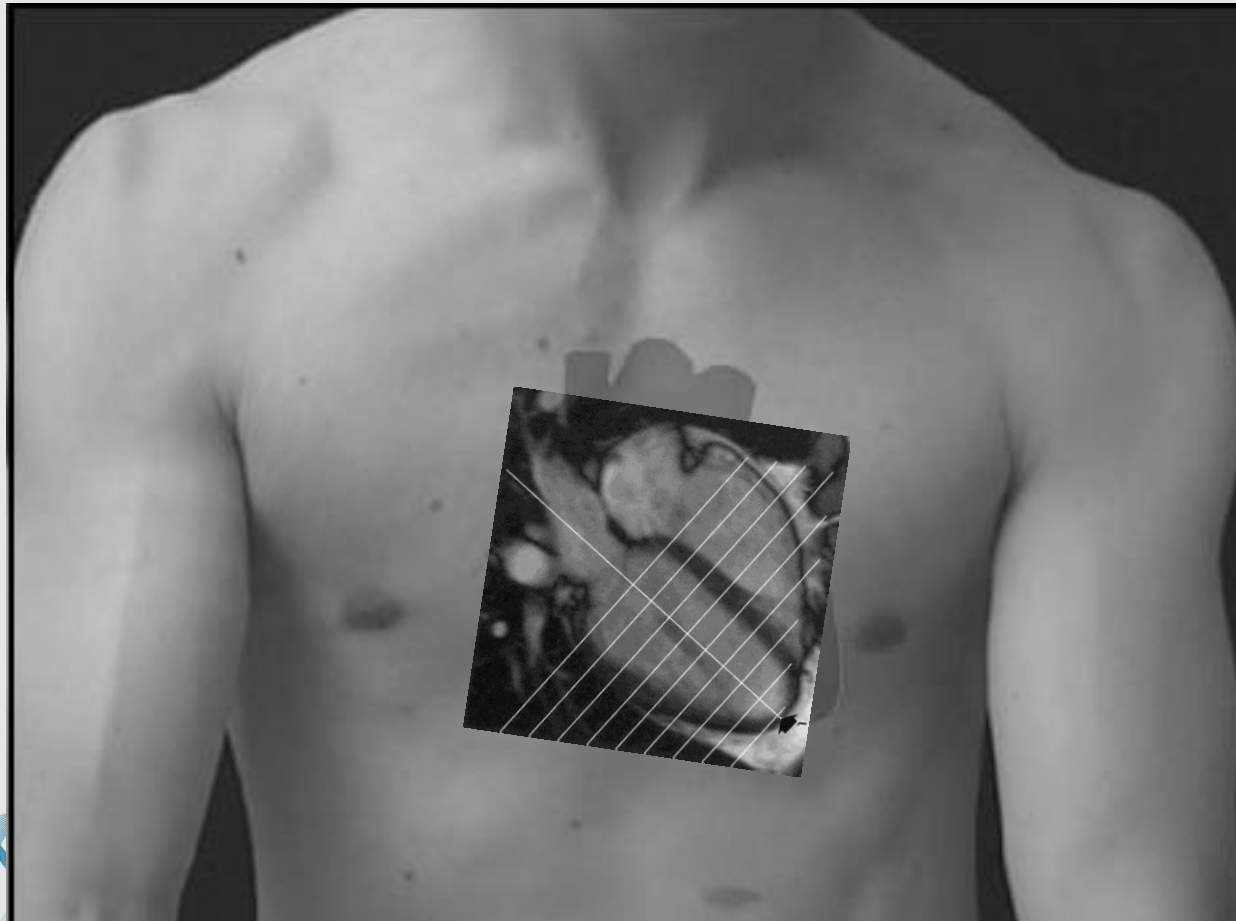
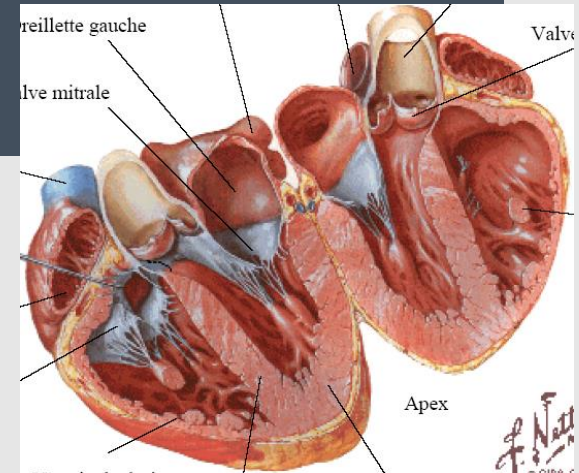
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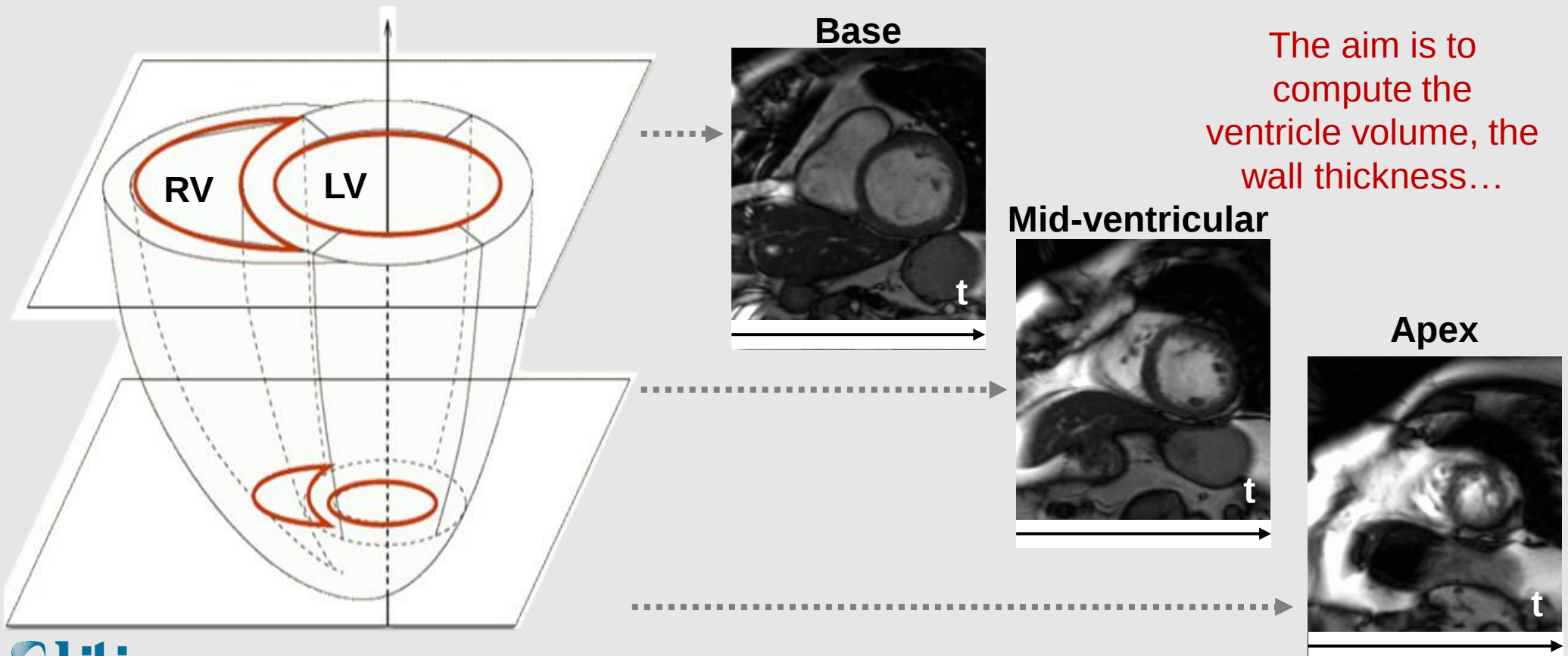
Context

- Cardiovascular diseases:
 - A major cause of death in many countries
 - **Magnetic Resonance Imaging (MRI)** is a good tool to assess the cardiac contractile function



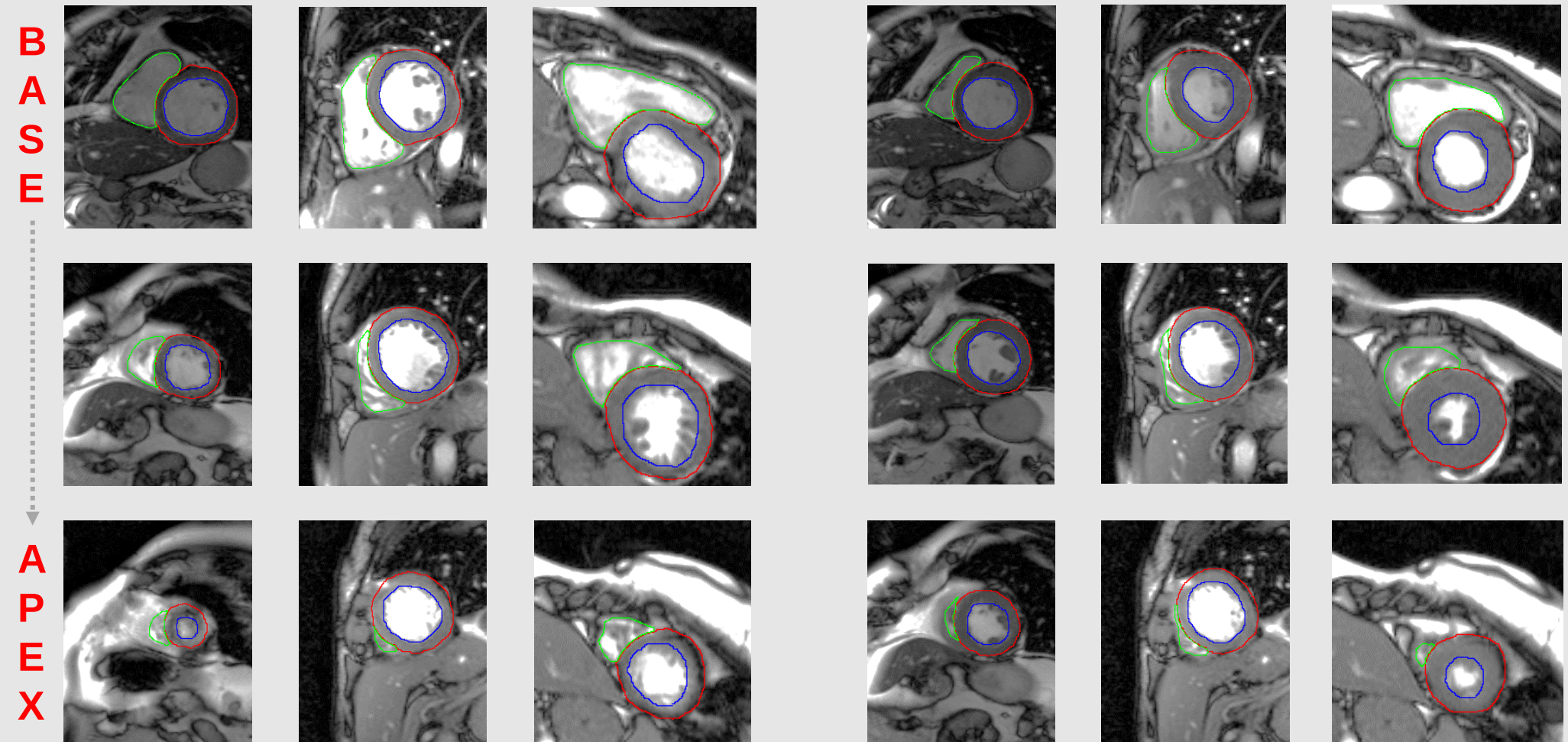
Context

- Cardiovascular diseases:
 - A major cause of death in many countries [Roger et al, 2012]
 - **MRI** is a good tool to assess the cardiac contractile function



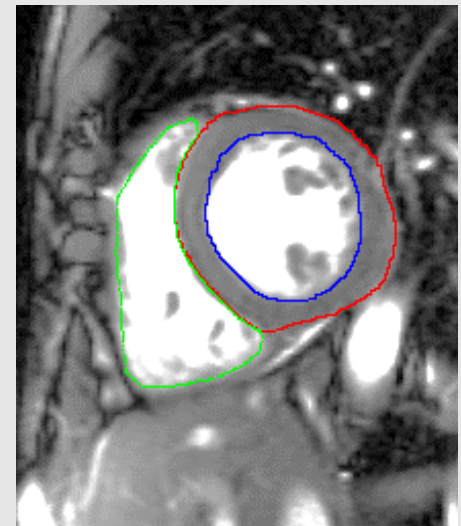
Context

- Cardiac ventricle segmentation: a challenging task



Context

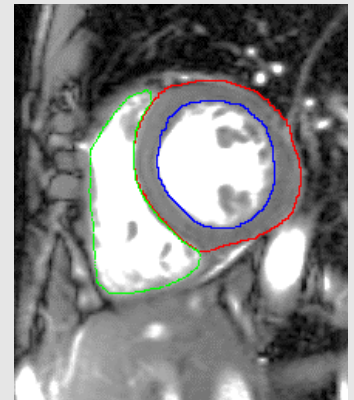
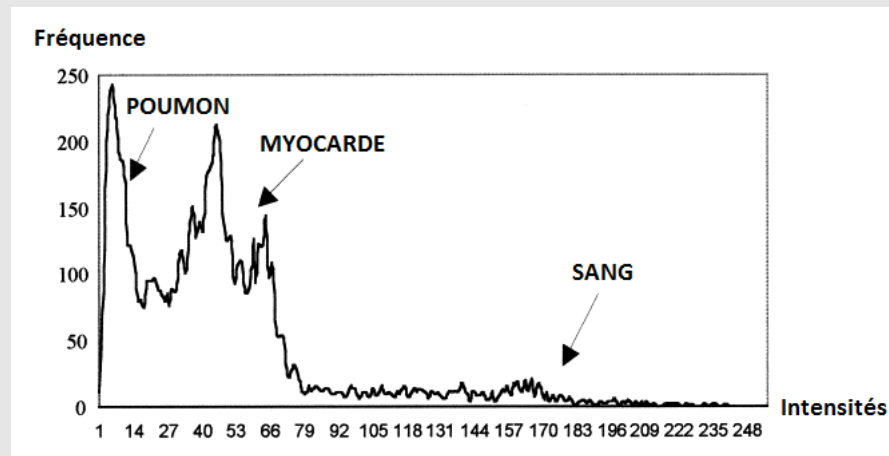
- In clinical routine:
- Manual segmentation:
 - Long and tedious task (20 minutes per patient)
 - Prone to intra and inter expert variabilities
- Many research efforts
 - Some software tools exist especially for the LV
 - Problems remain for the right ventricle (RV)



Related works

cardiac image segmentation

- Pixel-based methods: dedicated method
 - Thresholding, active contours, mathematical morphology...



- **Prior** information will **help/constrain** the segmentation in noisy, fuzzy image, or image with occlusions

Related works

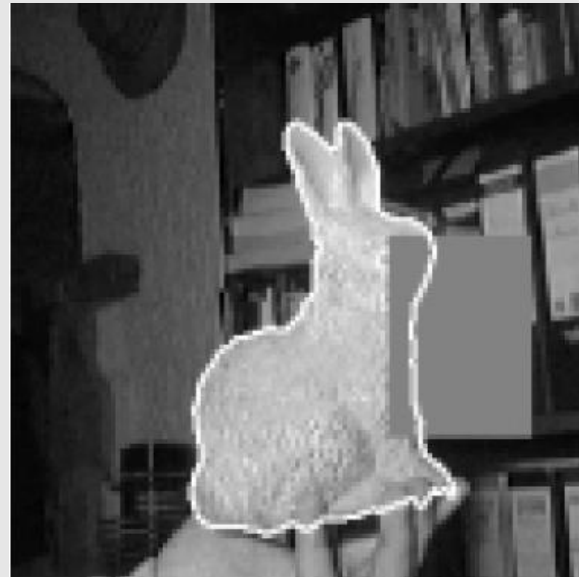
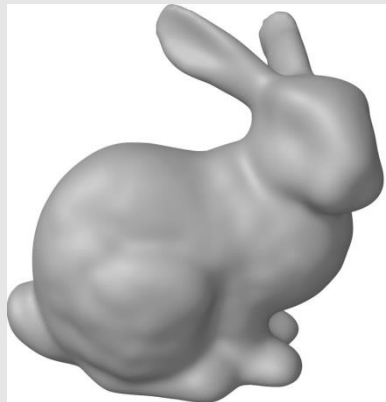
segmentation with shape prior



Without prior

Suppose I have
a bunny model...

In 2D: a binary
map



With prior

Image segmentation with shape prior

Several ways to do it (*I'll present the **3** main ways*)

1) Active Shape Models (Cootes 1995)

- Assumes that you have a dataset of representative contours of the shape

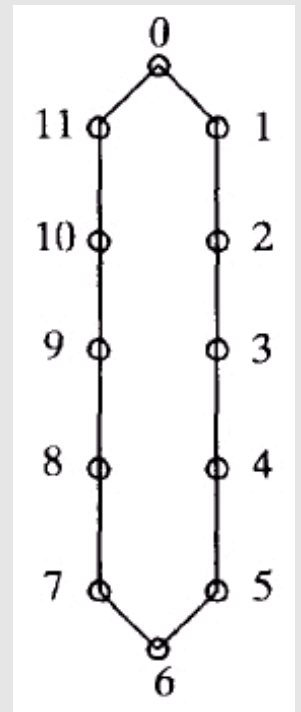
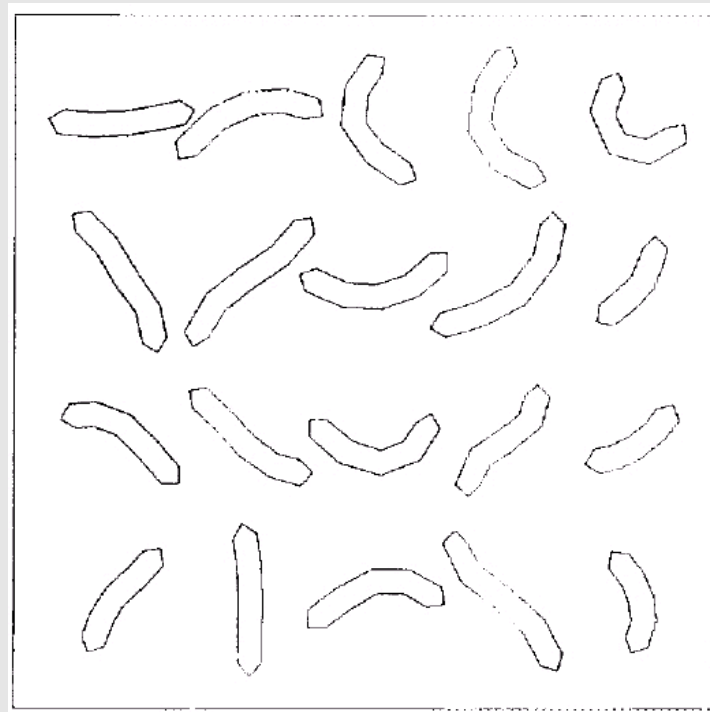


Image segmentation with shape prior

1) Active Shape Models (Cootes 1995)

- Assumes that you have a dataset of representative contours of the shape
 - Align all shapes

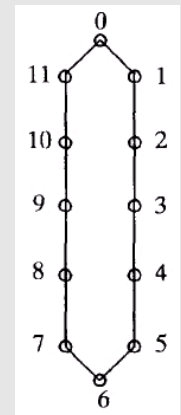
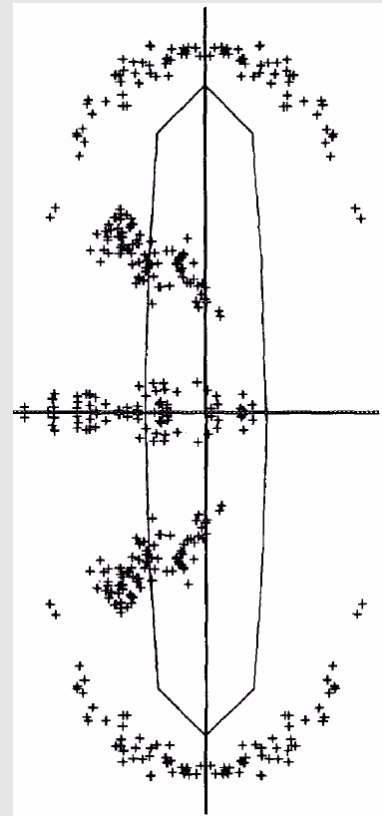
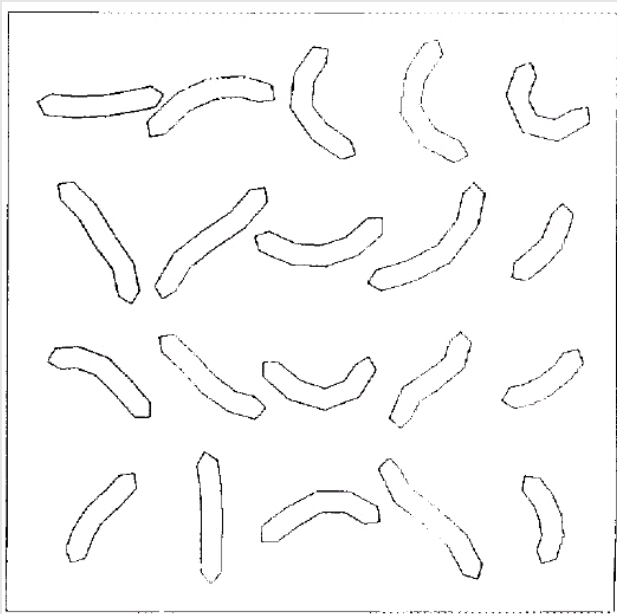
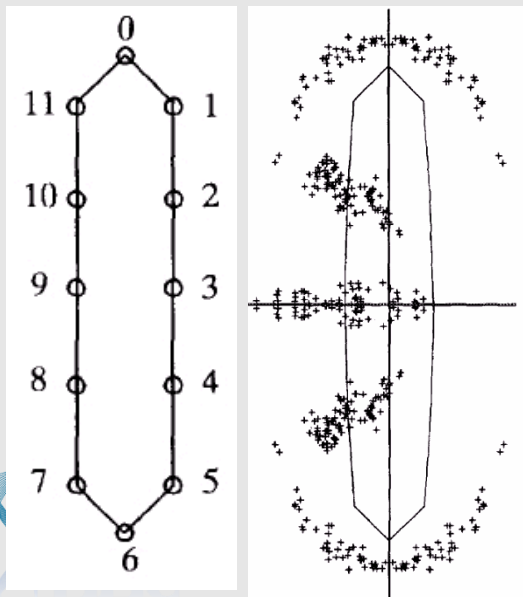


Image segmentation with shape prior

1) Active Shape Models (Cootes 1995)

- From the set of aligned shapes, you can compute
 - an average shape
 - a PCA on the contour points



**Thus you get
the major
variability axis
of the shape set**

**(called a Point
Distribution
Model (PDM))**

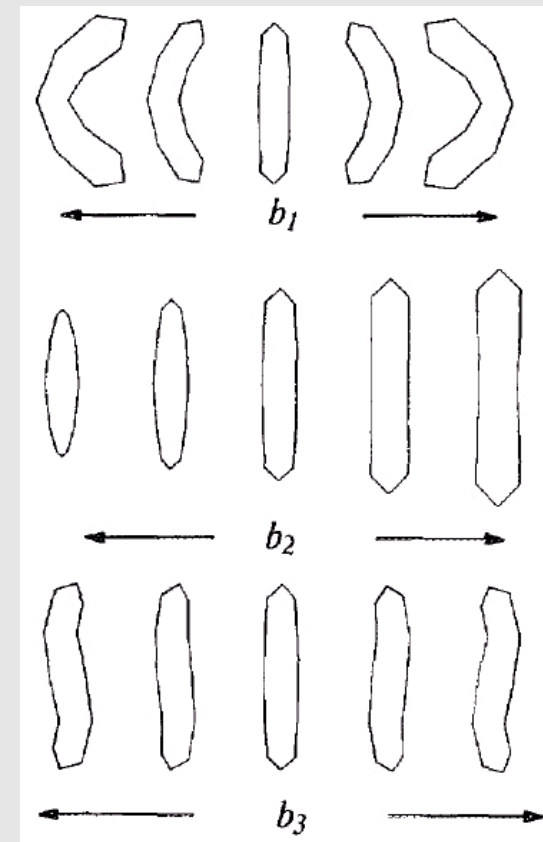
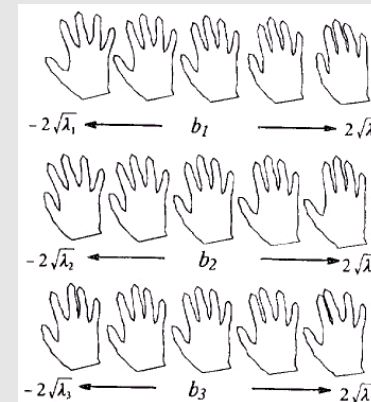
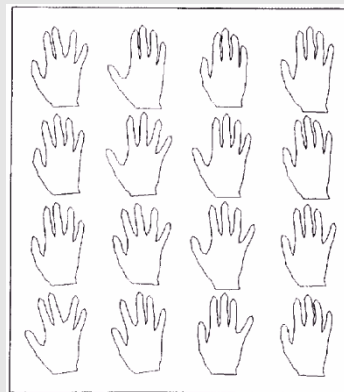


Image segmentation with shape prior

1) Active Shape Models (Cootes 1995) (ASM–AAM)

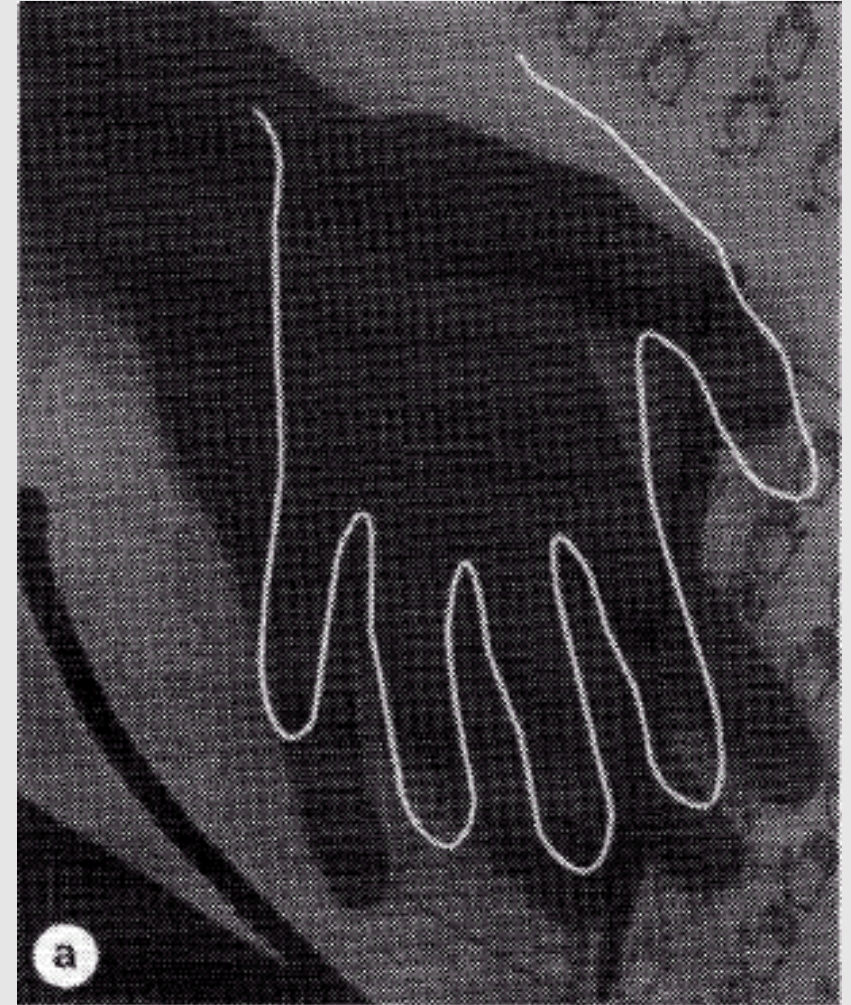
- Once you have the an average shape and the way shapes usually vary
 - Use the PDM for segmentation with deformable models
 - The segmentation result is constrained to lie within the major variabilities axis

Example:
(72 points)



ASM : segmentation

- Initialization



ASM : segmentation

- 100 iterations



ASM : segmentation

- 200 iterations



ASM : segmentation

- 350 iterations

Problem: What if the shape to be segmented does not lie within the dataset variability?

Other issue: point labelling can be very tedious



Image segmentation with shape prior

2) Segmentation may be considered as a minimization problem (eg active contours, graph cut...):

$$S = \arg \max \quad D(S) \quad + \quad R(S) \quad + \quad P(S)$$

S is the segmentation
(binary map,
contour points)

Data-driven term
(eg, based on image
gradient, on histogram of
the object/background....)

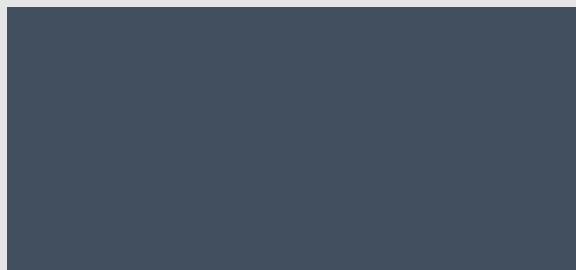
Regularization term
(eg, smoothness and
geometric properties on
the contour...)

Shape prior term

Very simple example with Prior being a binary map:



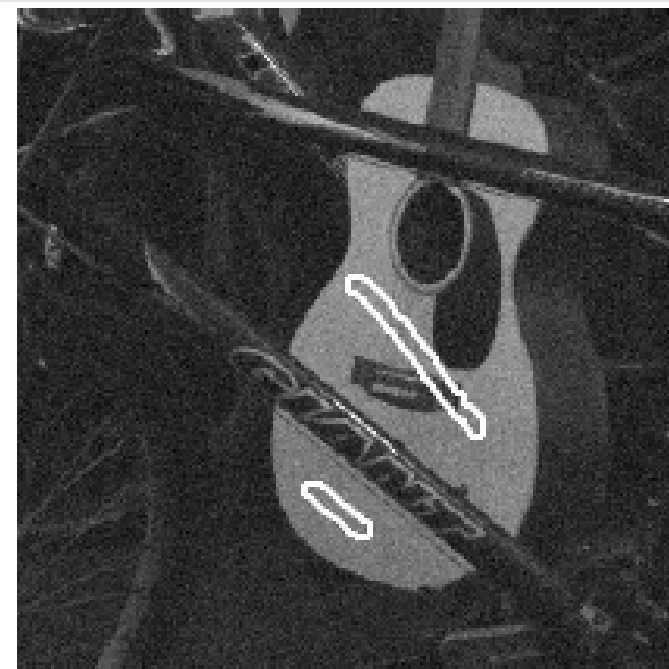
$$P(S) = \sum_{\text{all pixels } p} (S(p) - \text{Prior}(p))^2$$



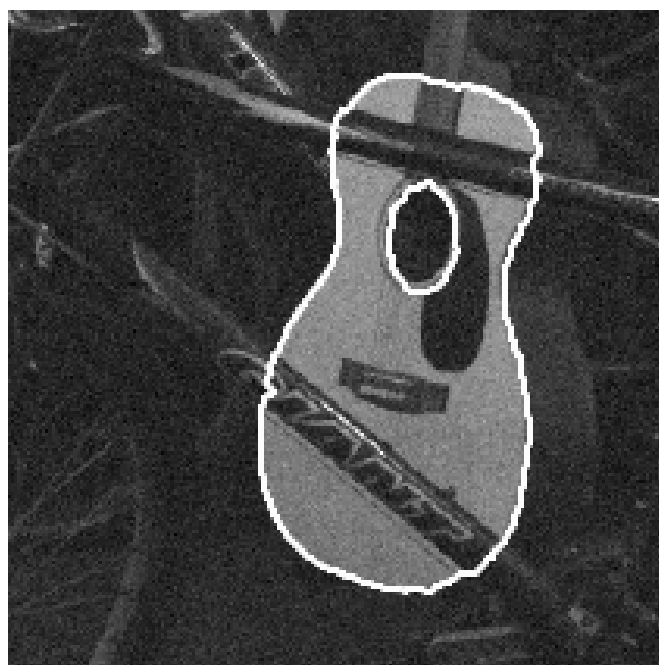
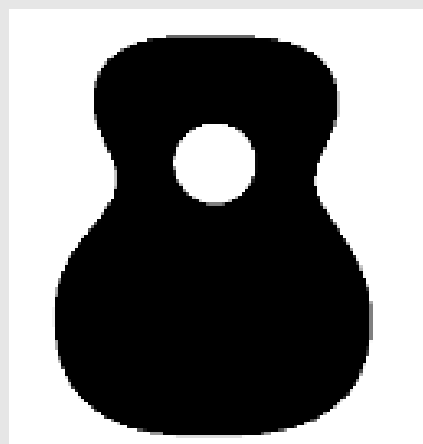
Vu, CVPR08



(a) original, 256×256



(b) initialization, $\sigma_n = 10$



(c) SP, 18 iter, 3.036 sec.



(d) no SP

Image segmentation with shape prior

2) Problem: How to register the shape model to the image?

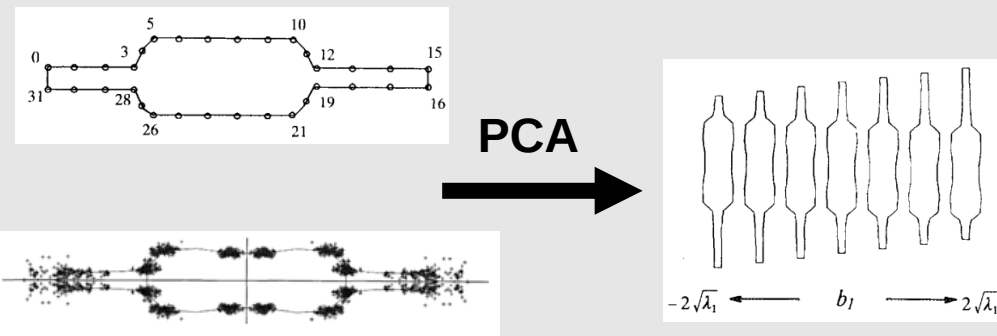
A usual solution is to proceed iteratively:

Alternate between model position estimation & segmentation...

How to represent the shape model?

Explicit representation

PDM [Cootes et al, 1995]

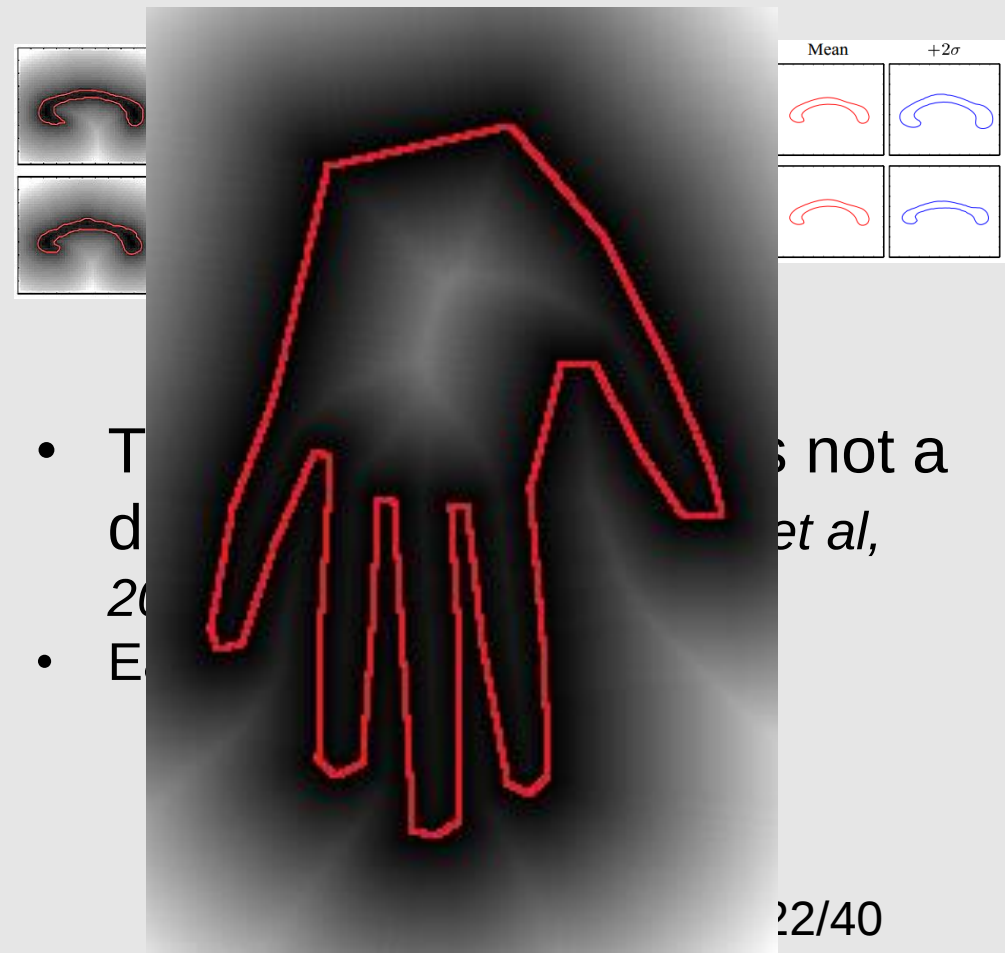


- Labelling the data with corresponding points is quite tedious

Implicit representation

Signed Distance Function

[Leventon et al, 2000]



- This is not a
- d
- 20
- E

Image segmentation with shape prior

3) Registration-based segmentation (single atlas)

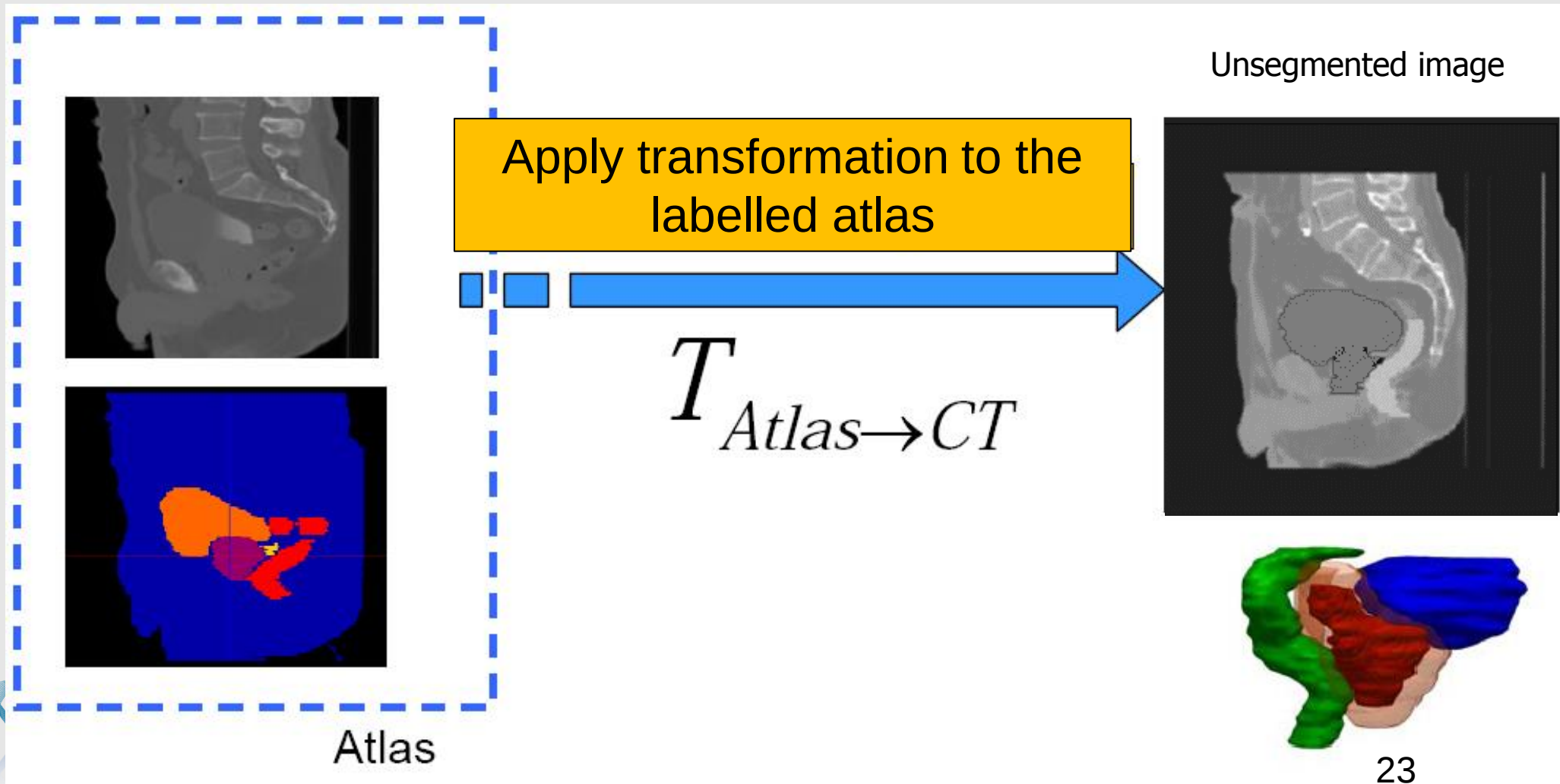


Image segmentation with shape prior

3) Registration-based segmentation (multiple atlases)

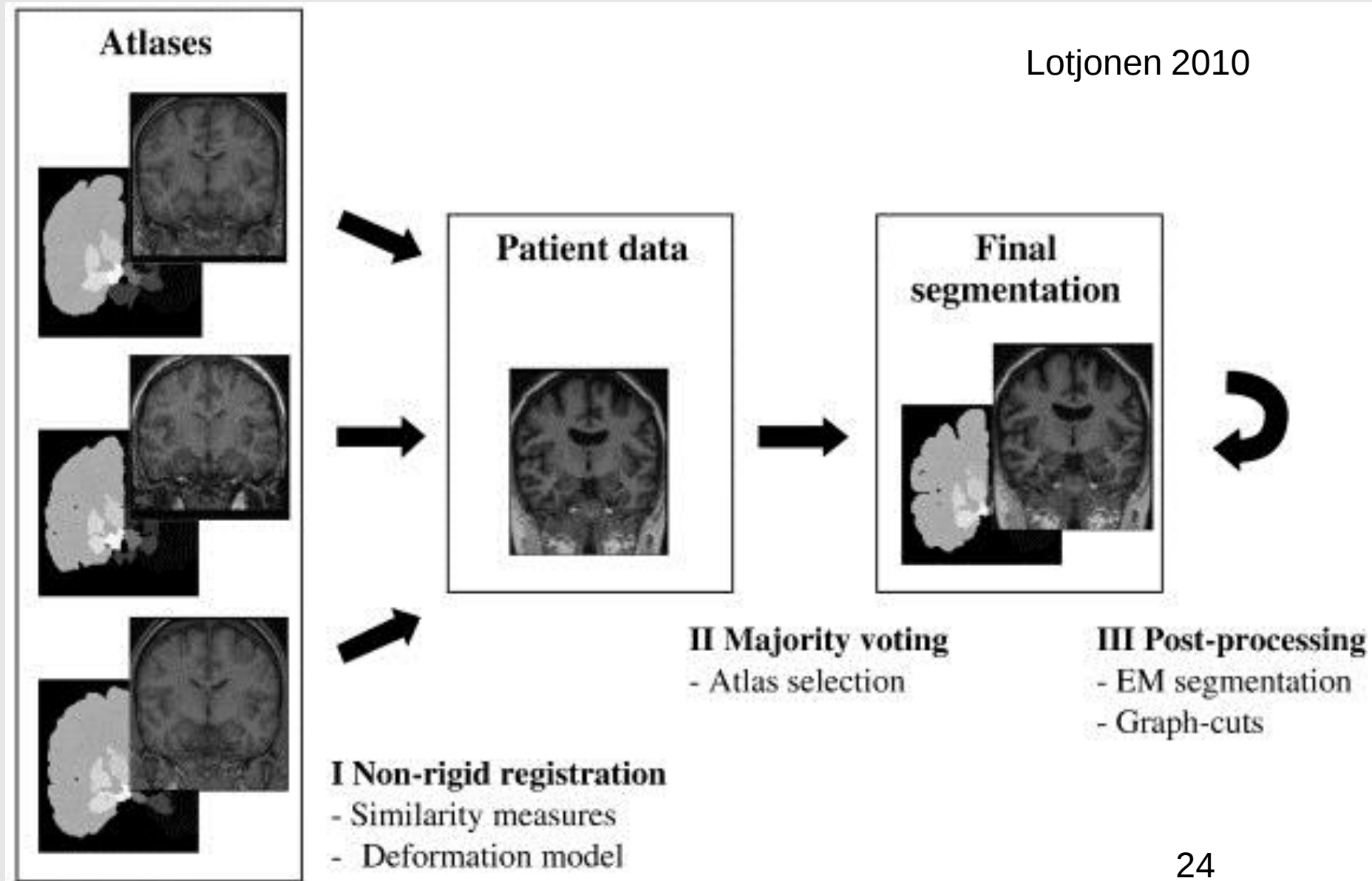


Image segmentation with shape prior

3) Registration-based segmentation (multiple atlases)

Another example of local label fusion:

For each pixel x , compute the probability to have label l :

$$P(L(x) = l | L'_n(x), I(x), I'_n(x)) = \frac{1}{\sqrt{2\pi}\sigma_i} e^{-\frac{[I(x) - I'_n(x)]^2}{2\sigma_i^2}} \cdot \delta_{l, L'_n(x)}$$

$L'_n(x)$ and $I'_n(x)$: label and intensity of atlas n

$$L(x) = \arg \max \sum_{\text{all atlases } n} P(L(x) = l | L'_n(x), I(x), I'_n(x))$$

We also want adjacent pixels to x
to have an opinion of the label of x !

$$\begin{aligned} & P(L(x) = l | L'_n(x + \Delta x), I(x), I'_n(x + \Delta x)) \\ &= \frac{1}{\sqrt{2\pi}\sigma_i} e^{-\frac{[I(x) - I'_n(x + \Delta x)]^2}{2\sigma_i^2}} \cdot \frac{1}{\sqrt{2\pi}\sigma_d} e^{-\frac{D(\Delta x)^2}{2\sigma_d^2}} \cdot \delta_{l, L'_n(x + \Delta x)} \end{aligned}$$

Image segmentation with shape prior

3) Registration-based segmentation (multiple atlases)

Issues: Segmentation results heavily relies on the registration quality

How to choose the optimal number of atlases?

Our approach

- **RV segmentation:** image intensity alone is not enough, requires prior shape information
- → Collaboration with Rouen University Hospital (Radiology Dept)
- → Cardiac radiologists have provided us with 48 MRI exams with segmented RV (around 750 images)

Construction of a shape model for the design of our RV segmentation method

Organization of a segmentation competition in Oct'12 (MICCAI workshop)

Our approach

- Our aim is to:
 - Construct a shape model, based on the manual segmentations
 - Use this model in a minimization based segmentation framework
- We chose the **graph cuts approach** (GC) [*Boykov et Jolly, 2001*]
 - The global minimum of the energy function is guaranteed
 - The framework is versatile enough to incorporate
 - Complexity in 2D is very low

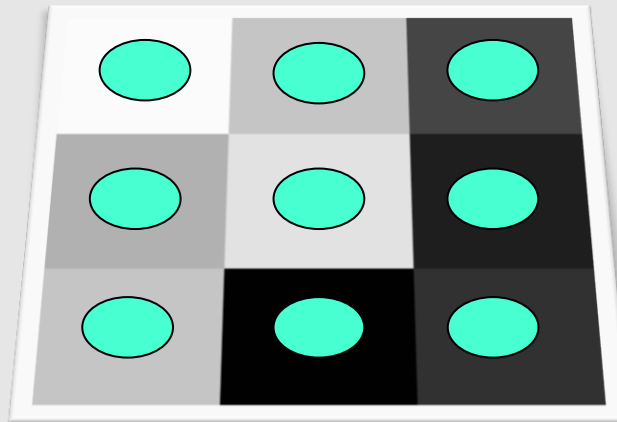
Graph cut: basic principle

Consider the observation field y_i (the image)



Graph cut: basic principle

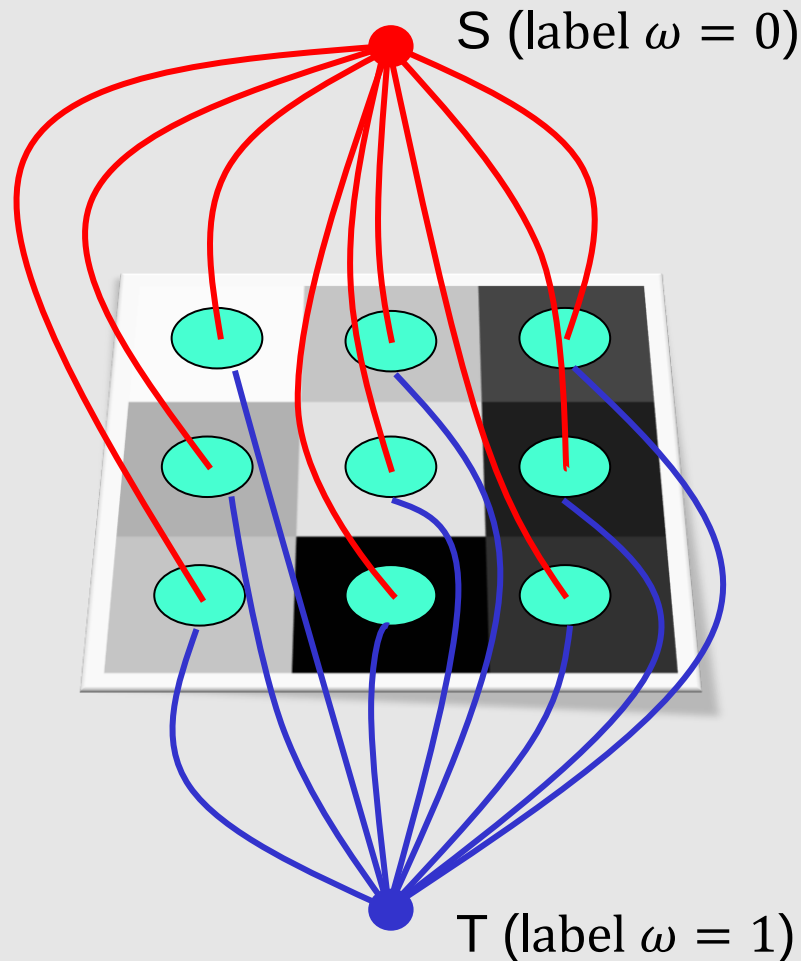
- Each pixel is considered as a node



Graph cut: basic principle

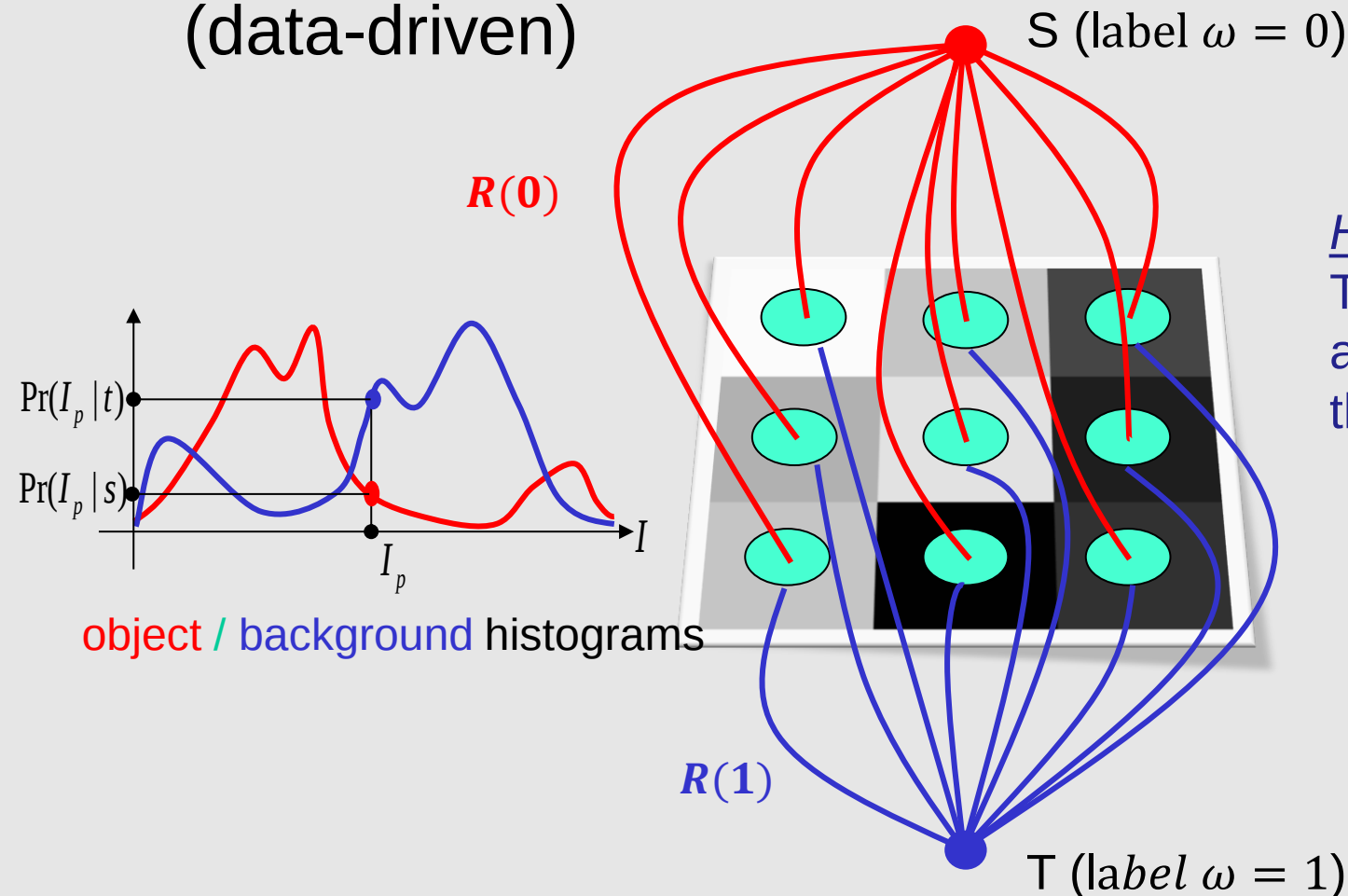
Consider binary segmentation.

We introduce 2
special nodes
S and **T**, linked
to the pixels
→ t-links



Graph cut: basic principle

- Links are weighted with a region-based term $R_i(\omega)$ (data-driven)



How to design R_i ?

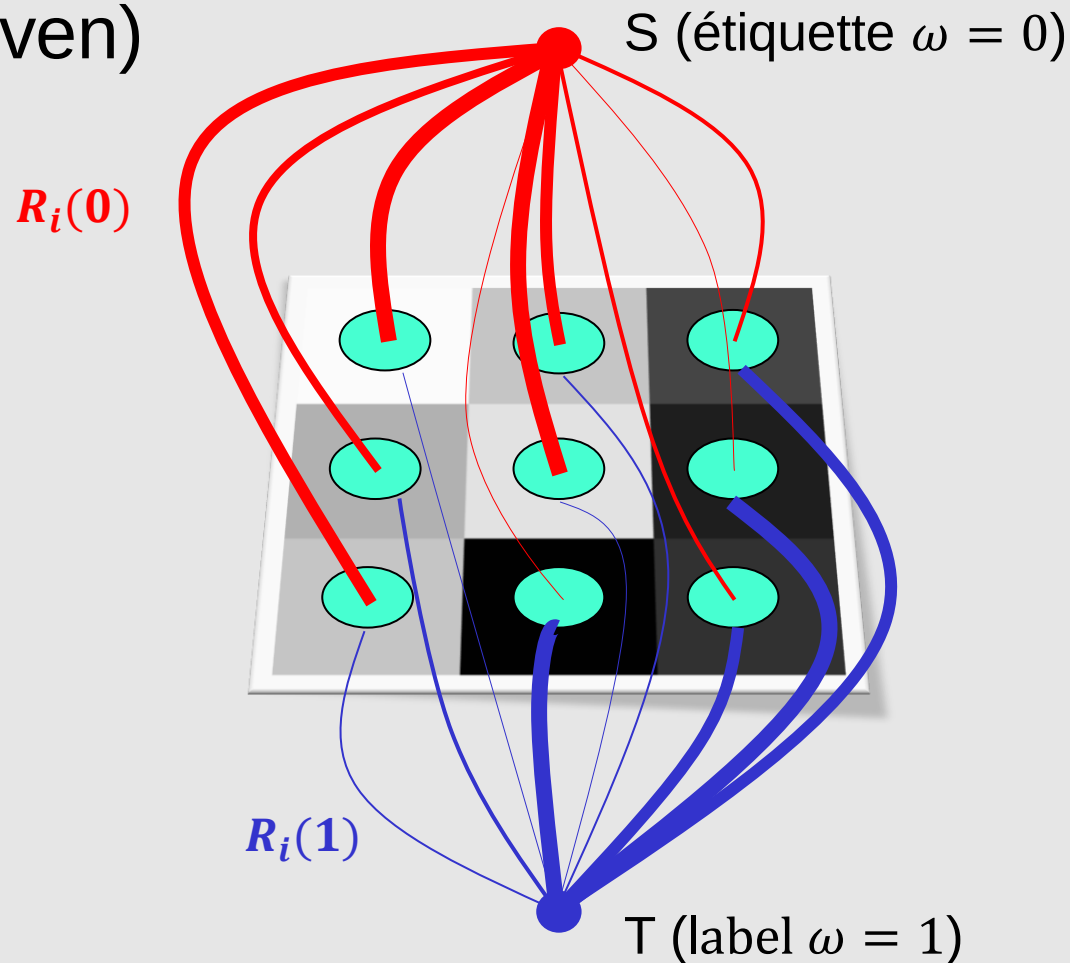
The more similar the pixels are to S or T, the stronger the t-links

$$R_i(S) = -\ln \Pr(y_i | T)$$

$$R_i(T) = -\ln \Pr(y_i | S)$$

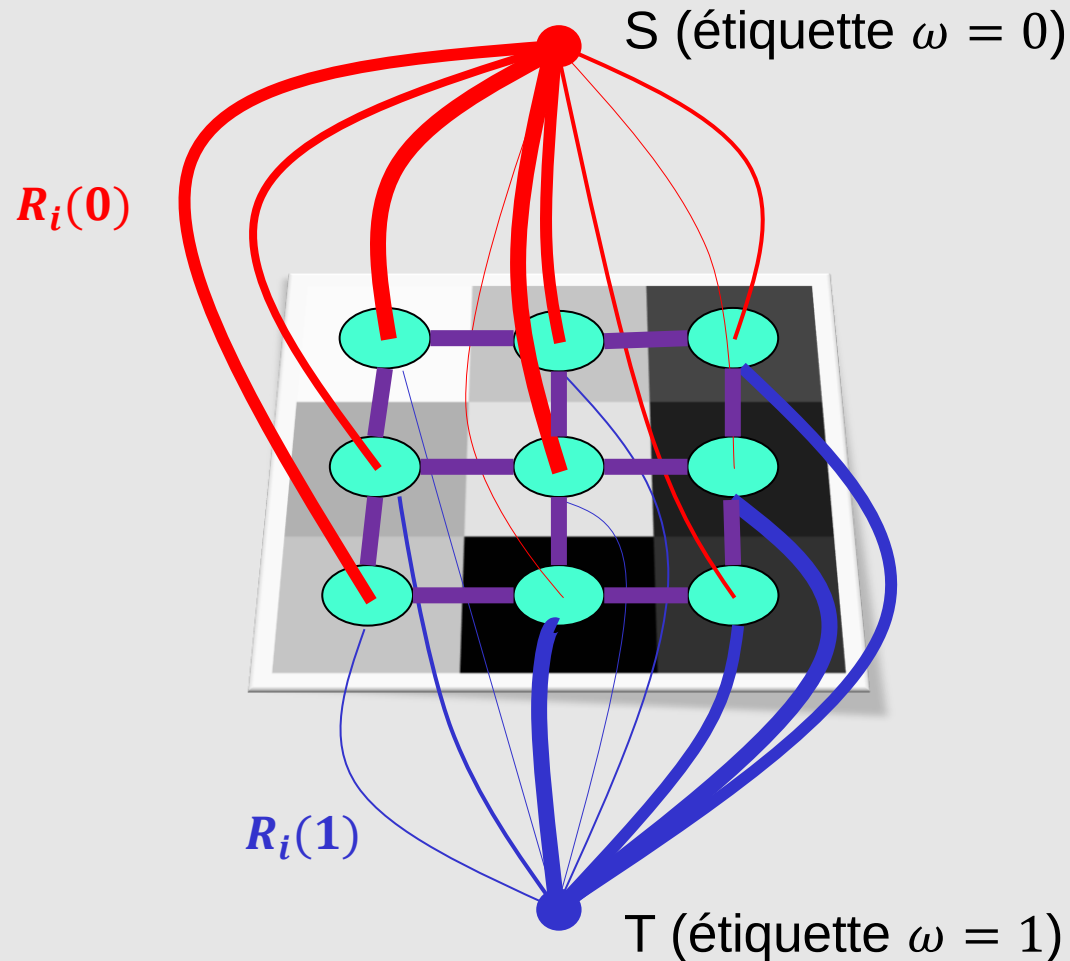
Graph cut: basic principle

- Links are weighted with a region-based term $R_i(\omega)$ (data-driven)



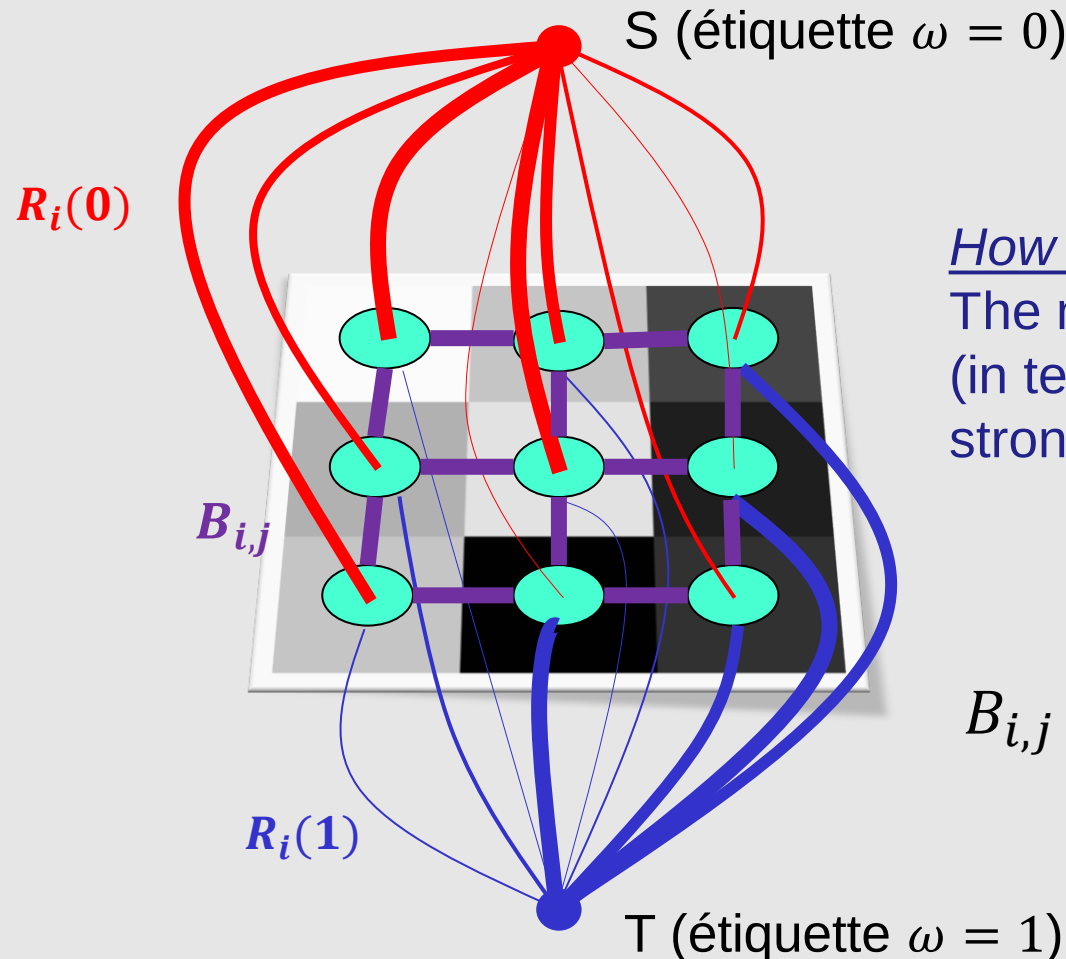
Graph cut: basic principle

- Let's add a link between neighboring pixels: **n-links**



Graph cut: basic principle

- N-links are weighted by a regularization term $B_{i,j}$



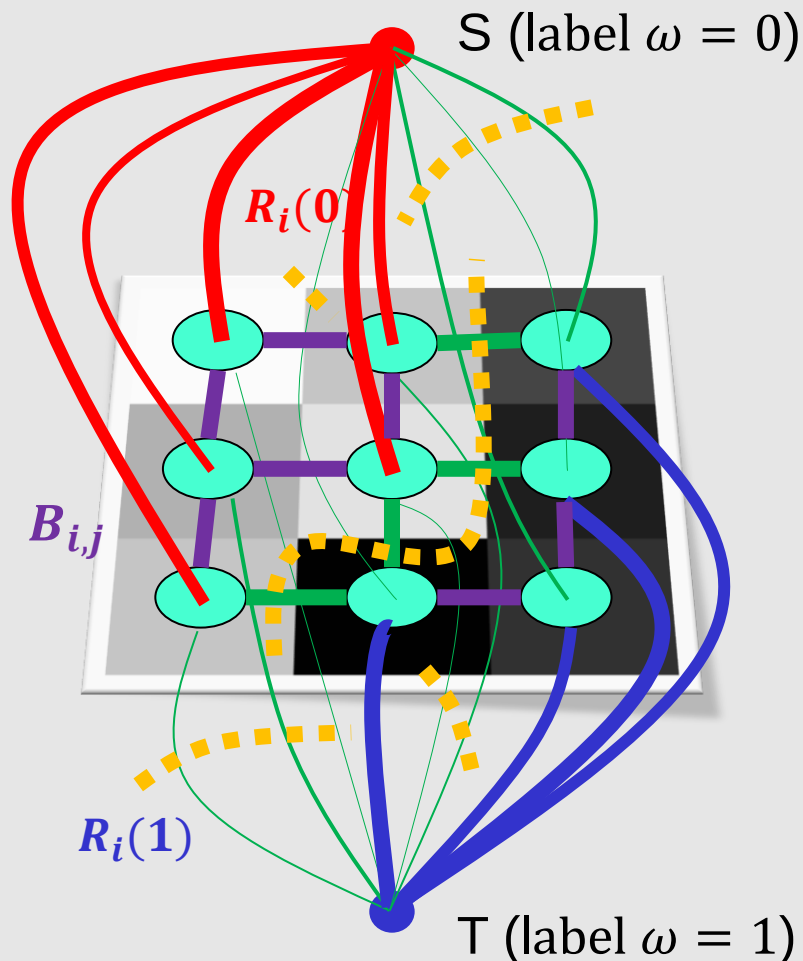
How to design B_{ij} ?

The more similar the pixels
(in terms of grey levels), the
stronger the n-link

$$B_{i,j} = \exp \left\{ -\frac{(y_i - y_j)^2}{2\sigma^2} \right\}$$

Graph cut: basic principle

To obtain a segmentation (= a labelling), the graph is cut



The nodes are divided into 2 groups, one contains the **source** and the other the **sink**.

Cost function associated to a cut:

$$E(L) = \sum_i R_i(L_i) + \lambda \sum_{i,j \in N} B_{i,j} \cdot \delta(L_i \neq L_j)$$

The **best** segmentation is obtained when $E(L)$ is minimum

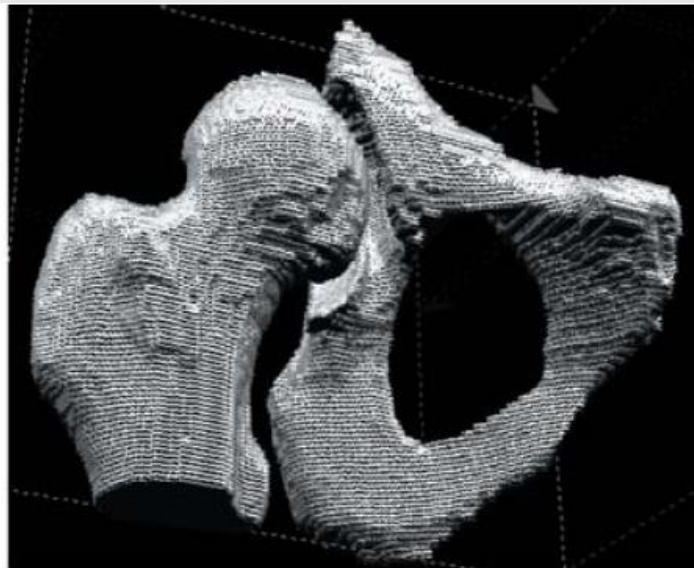
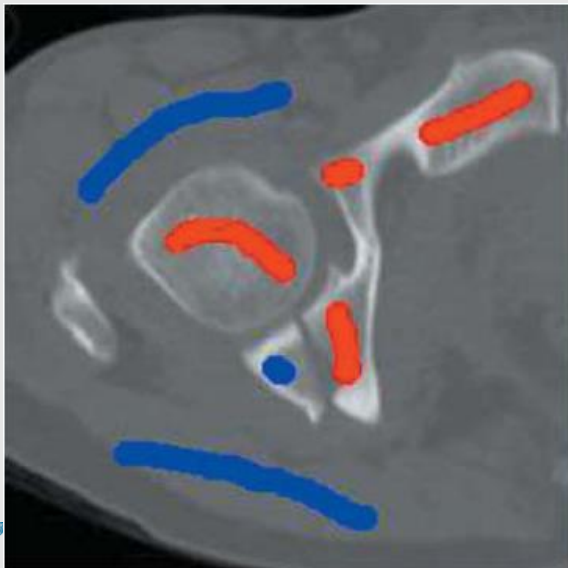
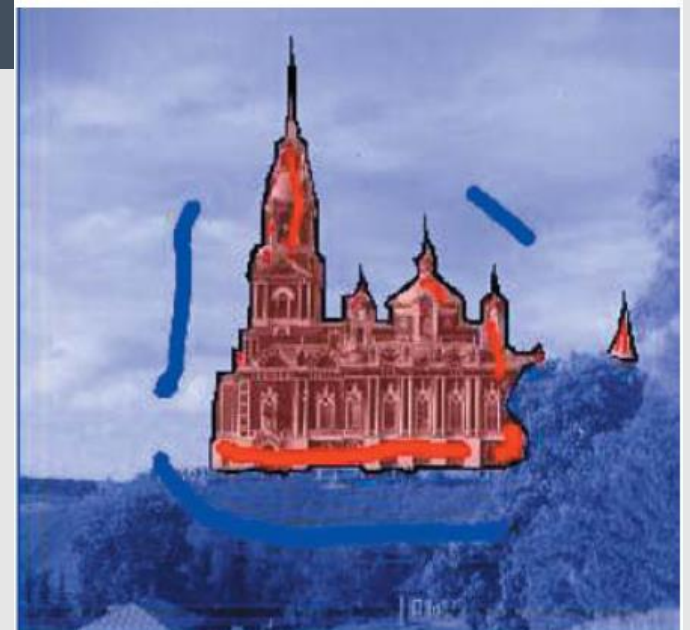
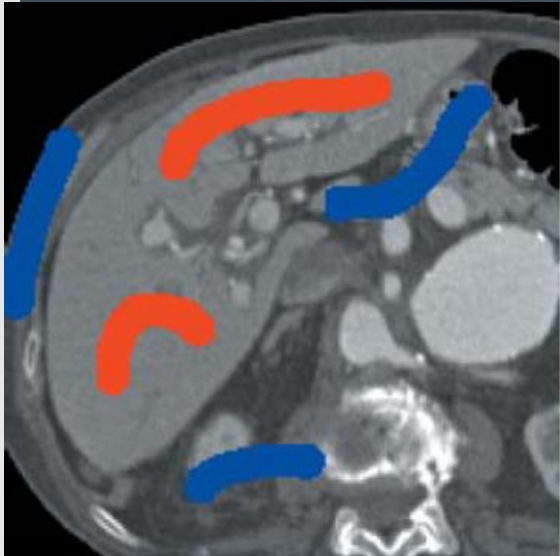
But how to get L such that $E(L)$ is minimum?

→ Use optimization algorithm called **min-cut max-flow** [Boykov & Kolmogorov, 2004]

We have just seen binary segmentation...

The framework has been extended to multi-label segmentation

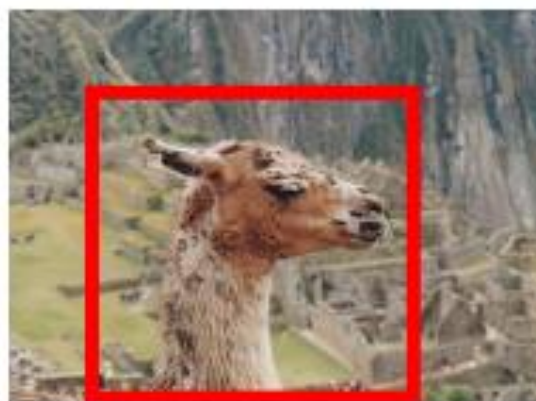
GC used as an interactive segmentation tool



Boykov, IJCV, 2006

A word on GrabCut...

- Variant of Graph Cut: Interactive Foreground Extraction using Iterated Graph Cuts



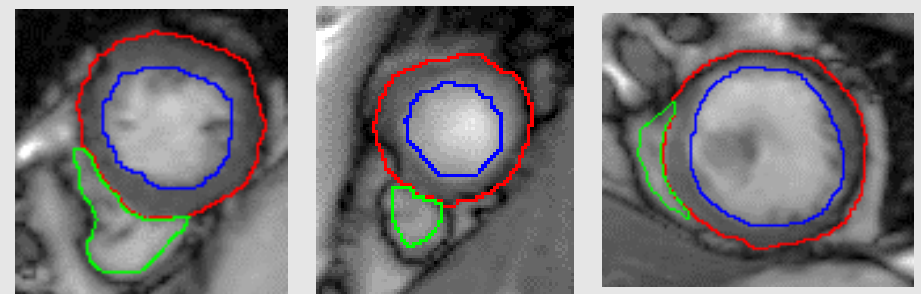
Back to our problem...

- We want to **automatically** segment the cardiac ventricles in MR image where **borders are not well defined** and **ventricles shapes are highly variable**



- We construct a **shape model** from manually labelled data
No anatomical landmarks

→ We use the Signed Distance Function representation for our shape model



Back to our problem...

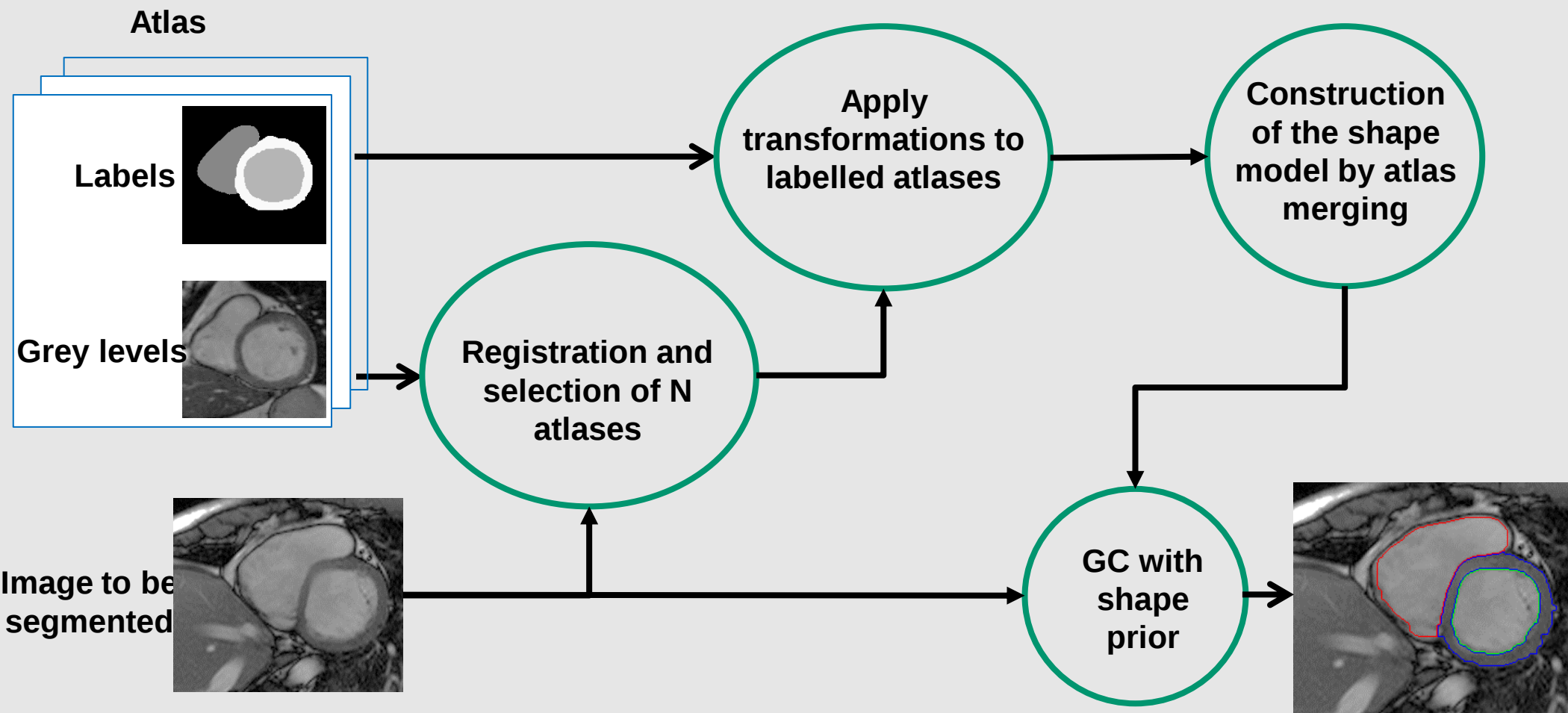
- We use the model within the GC framework:
- We design the graph cost function as:

$$E(L) = \sum_i R_i(L_i) + \sum_i P_i(L_i) + \lambda \sum_{i,j \in N} B_{i,j} \cdot \delta(L_i \neq L_j)$$

Additional term linked
to the shape prior

Our GC based approach with shape prior

- Overview:



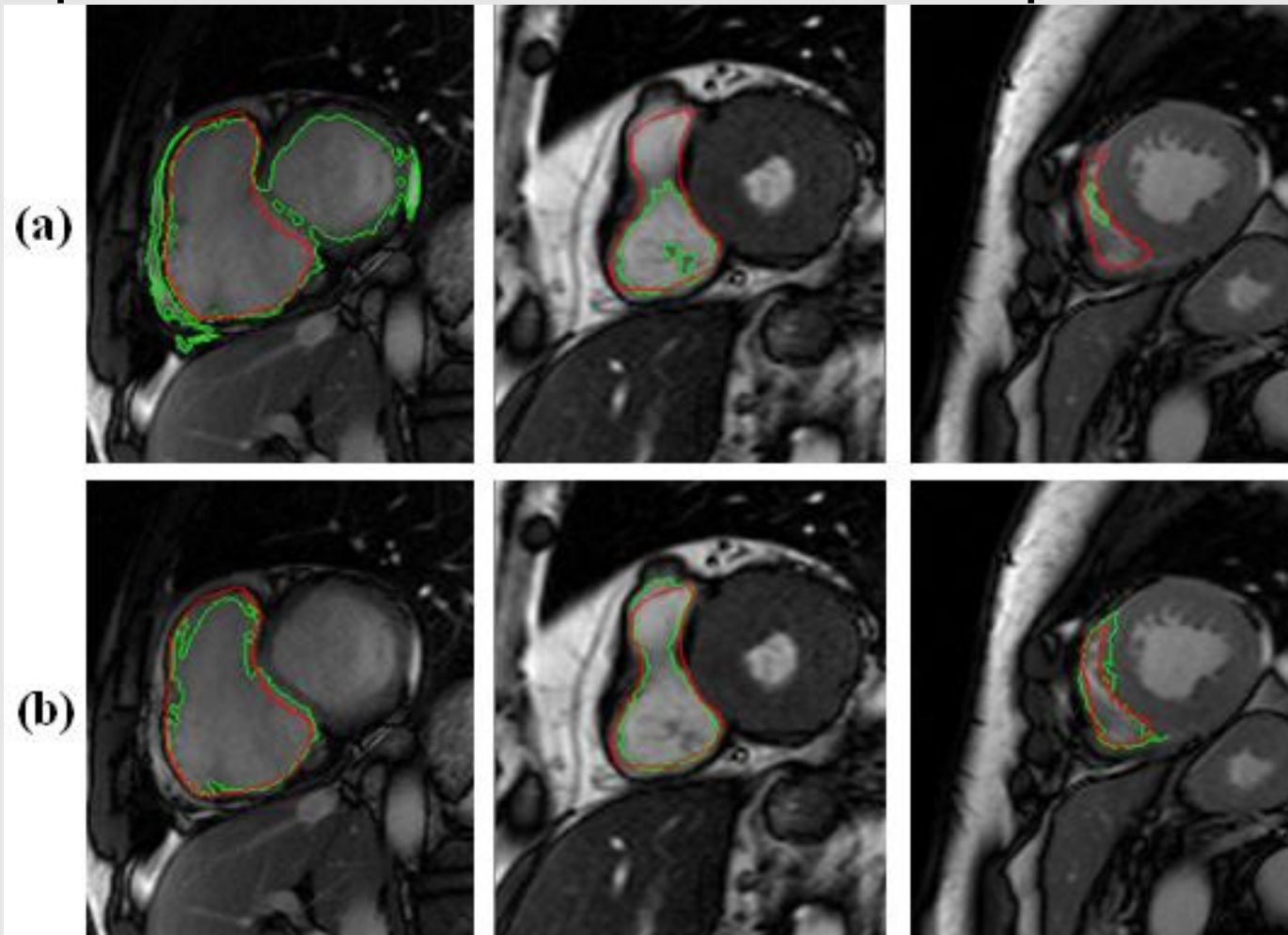
1/3 patients is used for model construction
Remaining 2/3 is used for testing

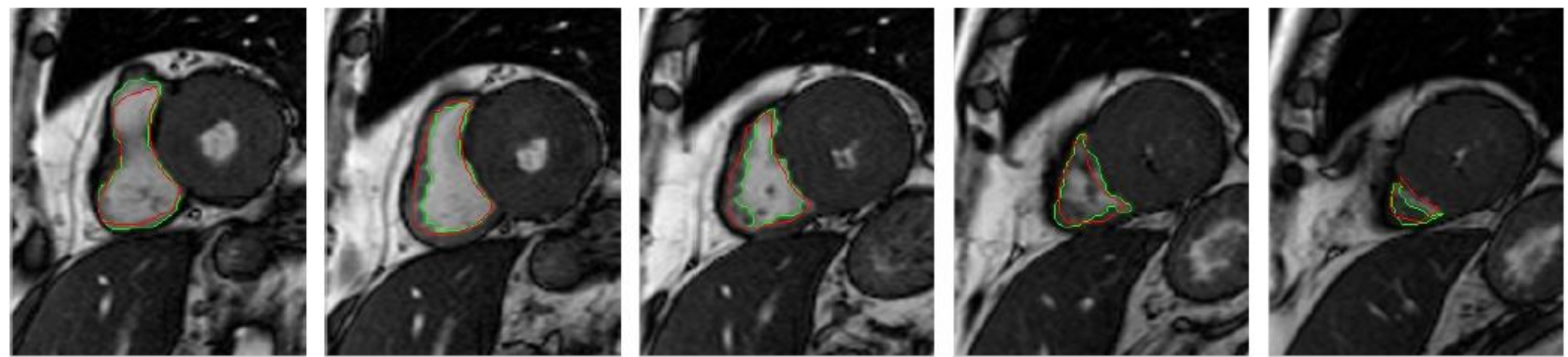
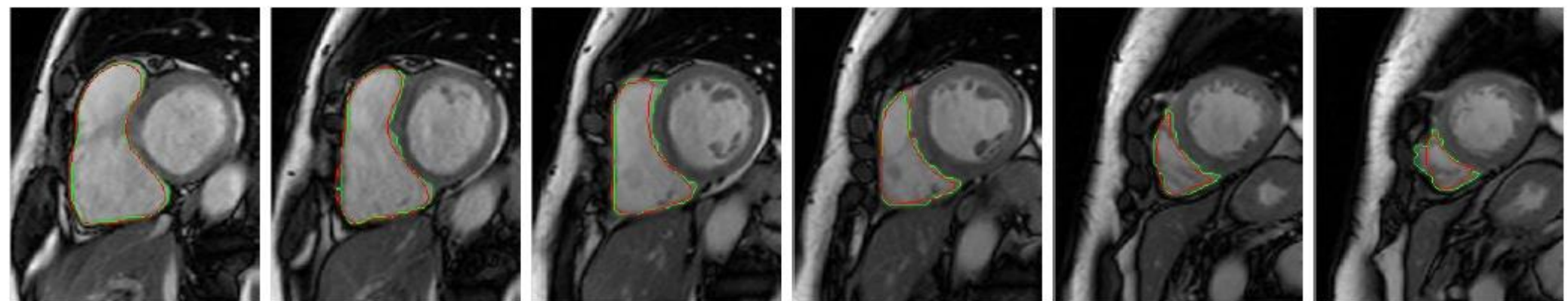
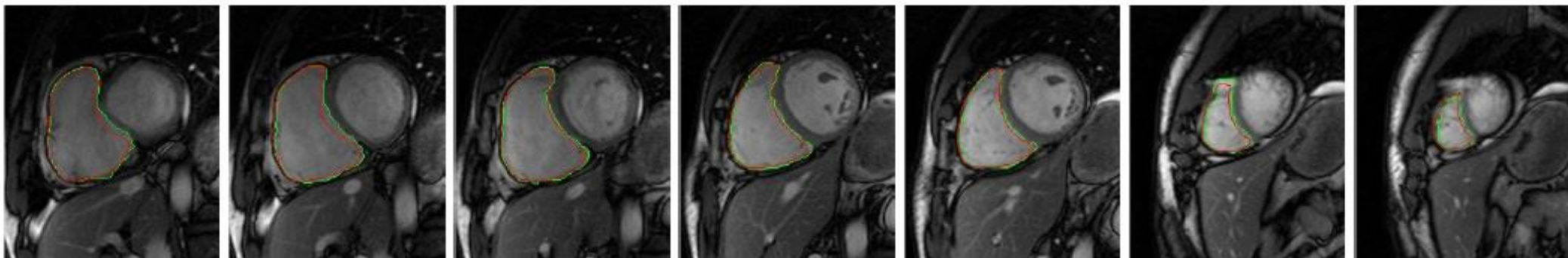
Final
segmentation

41/40

A few results

- Comparaison without and with an a priori

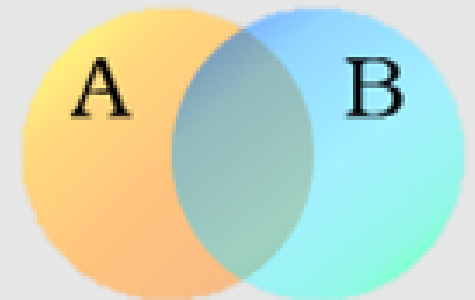




Some quantitative results

- Comparison of manual contours and automated contours with the Dice metric:

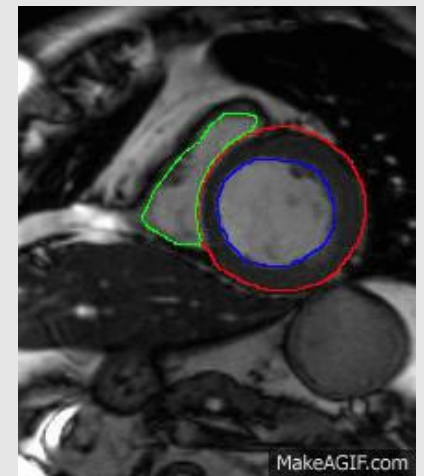
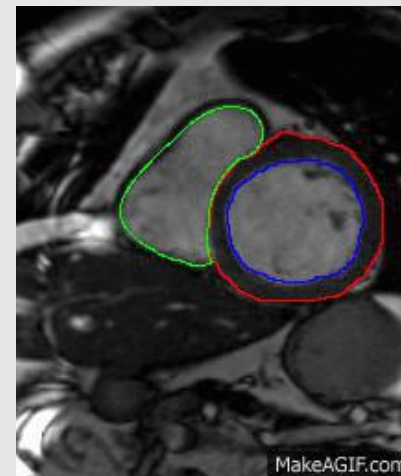
- Overlap measure $D(A, B) = \frac{2|A \cap B|}{|A| + |B|}$



ED (dilatation)

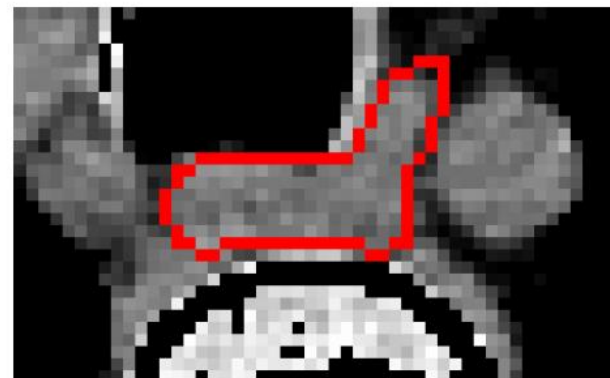
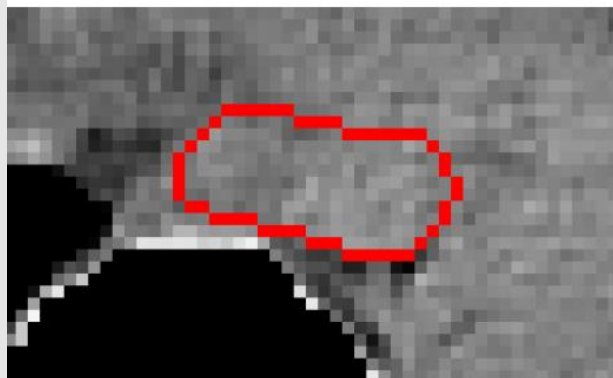
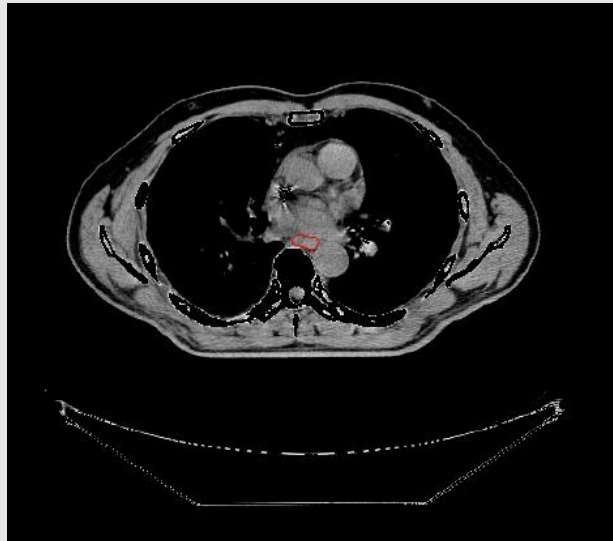
ES (contraction)

	ED	ES
RV (red)	0.87 ± 0.06	0.73 ± 0.16
LV (cyan)	0.95 ± 0.03	0.80 ± 0.26
Myocardium (blue)	0.81 ± 0.08	0.77 ± 0.19



Perspectives

- Application to some other segmentation contexts (3D)



Associated publications

- **Our prior-based segmentation approach applied to RV:**
 - Grosgeorge, D., Petitjean, C., et Ruan, S. (2014). Joint Segmentation of Right and Left Cardiac Ventricles Using Multi-Label Graph Cut. **IEEE ISBI**, Beijing, Chine.
 - Grosgeorge, D., Petitjean, C., Dacher, J. N., et Ruan, S. (2013). Graph cut segmentation with a statistical shape model in cardiac MRI. **CVIU**, 117(9), 1027-1035.
 - Grosgeorge, D., Petitjean, C., Ruan, S., Caudron, J., et Dacher, J. N. (2012). Right ventricle segmentation by graph cut with shape prior. **3D Cardiovascular Imaging : a MICCAI Segmentation Challenge**, Nice : France.
- **The Right Ventricle Segmentation challenge at MICCAI'12:**
 - C. Petitjean, M.A. Zuluaga, et al, Right Ventricle Segmentation From Cardiac MRI: A Collation Study, **Medical Image Analysis**, in press, 2014
 - C. Petitjean, S. Ruan, D. Grosgeorge, J. Caudron, and J.-N. Dacher Right Ventricle Segmentation in Cardiac MRI: a MICCAI'12 Challenge. Proceedings of “3D Cardiovascular Imaging: a MICCAI segmentation challenge”, Nice France, 2012.
- **A review of LV and RV segmentation methods:**
 - C. Petitjean and J.-N. Dacher, A review of segmentation methods in short-axis cardiac images, **Medical Image Analysis**, vol. 15, pp. 169-184, 2011

Thank you!

- For listening...
- Any questions?